## GCSE MARKING SCHEME

AUTUMN 2022

GCSE<br>MATHEMATICS - NUMERACY UNIT 2 - FOUNDATION TIER 3310U20-1

## INTRODUCTION

This marking scheme was used by WJEC for the 2022 examination. It was finalised after detailed discussion at examiners' conferences by all the examiners involved in the assessment. The conference was held shortly after the paper was taken so that reference could be made to the full range of candidates' responses, with photocopied scripts forming the basis of discussion. The aim of the conference was to ensure that the marking scheme was interpreted and applied in the same way by all examiners.

It is hoped that this information will be of assistance to centres but it is recognised at the same time that, without the benefit of participation in the examiners' conference, teachers may have different views on certain matters of detail or interpretation.

WJEC regrets that it cannot enter into any discussion or correspondence about this marking scheme.

## WJEC GCSE MATHEMATICS - NUMERACY

## AUTUMN 2022 MARK SCHEME

| Unit 2: Foundation Tier | Mark | Comments |
| :---: | :---: | :---: |
| 1.(a) (Pen y Fan 7) Snowdon 14, Cadair Idris 8, Cadair Berwyn 6 | B2 | May be seen or inferred from their bar chart or tallies (or other diagram/graph) <br> If scale such as going up in $5 \mathrm{~s}, 4 \mathrm{~s}$, or 3 s are used, award B2 for frequencies that are implied to be correct if unambiguous. <br> Award B1 for either: <br> - Two out of Snowdon (14), Cadair Idris (8) and Cadair Berwyn (6) <br> - Cadair Berwyn as 35-7- ('their 14' + 'their 8') |
| Both axes labelled | B1 | E.g. number of people or frequency and individual names of mountains. The names of mountains may be on the bars or anywhere within the base of the corresponding bar. |
| Uniform scale starting from zero on frequency axis | B1 | Allow a frequency scale starting with 1 at the top of the first square to imply a scale starting with zero. Allow the numbers in the boxes as long as it is a uniform scale used and starts from zero. |
| All bars correct heights and same widths. The 4 bars can be in any order. | B2 | FT their frequencies or tallies throughout if seen. If B0 awarded for no uniform scale, FT if an implied uniform scale has been applied or FT 'their uniform scale' <br> If no scale, allow one square to represent 1. Allow bars to be joined. <br> Allow different size gaps between bars. <br> Award B1 for any one of the following: <br> - 2 or 3 correct bars with correct frequencies <br> - Correct heights with inconsistent widths <br> - Correct heights with bars not complete <br> - Vertical line graph drawn with correct heights <br> - Implied correct heights of 2 or 3 bars when using a scale such as 2 squares are worth 5 and the heights are not quite accurate. |
| 1(b) (8-7 =) 1 | B1 | Allow -1 <br> FT 'their Cadair Idris' - 7 or FT 7 - 'their Cadair Idris' |

\begin{tabular}{|c|c|c|}
\hline \begin{tabular}{l}
1(c) Reasonable explanation, e.g. 'because the most popular is Snowdon' 'because that is not the most popular' 'because the modal is Snowdon' 'because Snowdon has the most amount of people' 'because Pen Y Fan was not the most picked' 'because Pen y Fan only had 7 whereas Snowdon had \(14{ }^{\prime}\) \\
'because the majority picked Snowdon' 'because Snowdon was liked the most'
\end{tabular} \& E1 \& \begin{tabular}{l}
FT 'their bar chart'. Ignore spurious statements if correct statement also seen. \\
Allow: \\
'because it's Snowdon' \\
'because the modal is the most' \\
'because Snowdon had the most likes' \\
'because there are others with more' \\
'because Cadair Idris is one more' \\
'because Snowdon has more people with the highest \\
amount' \\
'because Cadair Idris and Snowdon have more' \\
'no it is Snowdon because it's not the biggest' \\
' 14 people chose the mode (whereas only 7 chose \\
Pen Y Fan)' \\
'because Snowdon is the highest' \\
Do not allow: \\
'because Cadair Berwyn is less than Pen Y Fan' 'because it's (only) 7 for Pen Y Fan' \\
'because Pen Y Fan isn't in the middle of the 4 mountains' \\
'because it's not the middle or average number' 'because the modal is 14 '
\end{tabular} \\
\hline \[
\begin{aligned}
\hline \text { (d) (i) } 800 \times 3.3 \\
2640 \text { (feet) }
\end{aligned}
\] \& \[
\begin{aligned}
\& \hline \text { M1 } \\
\& \text { A1 }
\end{aligned}
\] \& This may be seen in stages eg \(3.3 \times 100 \times 8\) \\
\hline 1(d)(ii) 10:30 + 3hrs 45 mins
\[
14: 15
\] \& M1

A1 \& | Sight of 2:15 or 13:75 or 14:15am implies M1 |
| :--- |
| Allow 10(:) $30+3$ (: $: 45$ for M1 |
| If using adding on methods, it must be a clear method to award M1 with 3 hours and 45 minutes clearly being added on. |
| Allow 14:15pm but not 14:15am |
| 'Do not accept 2:15 with or without p.m or a.m) | <br>

\hline  \& \[
$$
\begin{aligned}
& \text { B1 } \\
& \text { B1 }
\end{aligned}
$$

\] \& | Allow $-2\left({ }^{\circ} \mathrm{C}\right.$ ) as indication of Monday Award BO for - $6\left({ }^{\circ} \mathrm{C}\right.$ ) |
| :--- |
| FT from 'Sunday' with answer of 5 | <br>


\hline Median $=1\left({ }^{\circ} \mathrm{C}\right)$ \& B2 \& | Award B1 for: |
| :--- |
| Numbers in order: -2, $-1,0,1,3,3,4$ or reverse order | <br>

\hline
\end{tabular}

2(a) (Cost of fruit scones $36 \times 52 p=$ )

$$
1872(p) \text { or }(£) 18.72
$$

(Cost of cream $4 \times 1.27=$ ) (£)5.08
(Cost of jam $3 \times 2.16=)(£) 6.48$
(Cost of sandwiches $9 \times 7.98=$ )(£)71.82
(Total costs $18.72+5.08+6.48+71.82+230=$ )
(£)332.1(0)
(Needs to save) (£)332.1(0) - (£)250
(£) 82.1 (0)
Alternative method
2(a) (Cost of fruit scones $36 \times 52 p=$ )

| $1872(p)$ or (£) 18.72 |
| :--- | :--- |

(Cost of cream $4 \times 1.27=$ ) (£)5.08
(Cost of jam $3 \times 2.16=$ ) (£)6.48
(Cost of sandwiches $9 \times 7.98=$ )(£)71.82
(Food costs $18.72+5.08+6.48+71.82=)$
(£)102.1(0)
(Needs to save) 102.1(0) - (250 - 230)
$(\mathcal{E}) 82.1(0)$

Organisation and communication

Writing

B3 Ignore incorrect units for the first B3 marks
Award B3 for all 4 costs correct
Award B2 for any 3 costs correct
Award B1 for any 2 costs correct

B1 FT 'their costs' provided B1 previously awarded and 5 costs, all in consistent units, added

M1 FT 'their derived' total costs providing greater than (£)250
A1 If units given they must be correct. Allow £82.1(0)p
If no marks awarded, award SC1 for an answer of $£ 241.93$ for 'their total costs'

B3 Ignore incorrect units for the first B3 marks
Award B3 for all 4 costs correct
Award B2 for any 3 costs correct
Award B1 for any 2 costs correct

B1 FT 'their food costs' provided B1 previously awarded and 4 costs, all in consistent units, added

M1 FT 'their derived' total food costs

OC1 For OC1, candidates will be expected to:

- present their response in a structured way
- explain to the reader what they are doing at each step of their response
- lay out their explanations and working in a way that
is clear and logical
- write a conclusion that draws together their results and explains what their answer means

W1 For W1, candidates will be expected to:

- show all their working
- make few, if any, errors in spelling, punctuation and grammar
- use correct mathematical form in their working
- use appropriate terminology, units, etc.

B3 Allow if triangle is reflected.
B3 or B2 can only be awarded if the measurements are from the given 14 cm base line or a new 14 cm base line is drawn on the page.
Award B2 for

- $40^{\circ}\left( \pm 2^{\circ}\right)$ and $14 \mathrm{~cm}( \pm 2 \mathrm{~mm})$ correct but triangle not completed
- Either $40^{\circ}\left( \pm 2^{\circ}\right)$ or $14 \mathrm{~cm}( \pm 2 \mathrm{~mm})$ correct in a completed triangle

If B2 not awarded, award B1 for

- Either $40^{\circ}\left( \pm 2^{\circ}\right)$ or $14 \mathrm{~cm}( \pm 2 \mathrm{~mm})$ (not the base line) correct in a triangle not completed or using a new base line drawn of any size.

| 2(c) Diagram showing 4 tables with 18 chairs around the edges with 2 chairs on each of the longer sides and 1 chair on each of the shorter sides. | B2 | Award B1 for sight of 4 tables in this format with or without chairs <br> OR <br> Award B1 for 7 tables with the longer sides touching with 18 chairs <br> Or B1 for a combination of tables set out with all 18 chairs correctly placed with 2 chairs on each long side and 1 chair on each short side eg |
| :---: | :---: | :---: |
| 3(a) Use of 1 million as 1000000 | B1 | May be seen at any stage of working or implied by a correct answer <br> Accept from sight of 2.2 million written as 2200000 <br> Allow as implied from one of the following: <br> - sight of an appropriate stage of working, <br> e.g. $1 \%$ as 22000 or $10 \%$ as 220000 or $50 \%$ as 1100000 <br> - an answer of 40000 provided not from $0.2 \times 2$ million |
| $0.02 \times 2.2(\times 1000000) \text { or }(1000000 \times 2.2 \div 50$ <br> or equivalent <br> (£) 44000 or (£) 44,000 | M1 | The method must be for the intention of finding $2 \%$ of 2.2 million, not any other percentage <br> May be implied, from a full method, from sight of <br> - $0.02 \times$ 'digits 22 with place value error' <br> - when working not shown, only non-zero digits of 44 in their answers <br> Award MO for $1.02 \times 2.2$ or $0.98 \times 2.2$ or $0.2 \times 2.2$ <br> CAO. Answer space takes precedence Do not accept (£)0.044 (million) or 44.000 (A0) unless 44000 seen in working (A1) |


| 3(b)(i) $\quad \frac{115}{360}$ | B1 |  |
| :---: | :---: | :---: |
| 3(b)(ii) Gold $20^{\circ} \pm 2^{\circ}$ <br> $1800 \times \frac{20( \pm 2)}{360}$ or $5 \times(20( \pm 2))$ or equivalent <br> 100 (gold medals) | B1 M1 A1 | Check the diagram <br> Also implies previous B1 <br> FT for any value used for ' $20^{\prime}$ provided $\neq 180^{\circ}$ and < $360^{\circ}$ ) for M1 only (including use of $160^{\circ}$ ) <br> A correct answer from using $20^{\circ} \pm 2^{\circ}$ in the inclusive range 90 to 110 (gold medals), not from premature approximation $(20 / 360=0.05, \text { then } 0.05 \times 1800=90 \quad \text { B1 M1 A0 })$ |
| 4(a) <br> $23 / 100 \times 4000$ or equivalent $\begin{array}{cc} 920 \\ (920-800=) & 120 \text { (euros) } \end{array}$ | M1 <br> A1 <br> A1 | Answer line takes precedence Allow full correct method e.g. <br> - using $10 \%$ and $1 \%$ i.e. $400+400+40+40+$ 40 or equivalent <br> - $4000-77 / 100 \times 4000$ <br> FT from M1 A0 'their 920' - 800 correctly evaluated |
| Alternative Method $\text { 4(a) } 23 / 100 \times 4000-800$ <br> 120 (euros) | M2 <br> A1 | Answer line takes precedence <br> Award M2 for ( $4000-800$ ) $77 / 100 \times 4000$ <br> (3200-3080) <br> Award M1 for 23/100 $\times 4000$ or equivalent |
| $\begin{array}{ll}4(\mathrm{~b}) 3600 \div 1.11 & \text { (£) } 3243.24\end{array}$ | $\begin{aligned} & \hline \text { M1 } \\ & \text { A1 } \end{aligned}$ | Answer space takes precedence <br> Sight of ( $£$ ) 3243 or $3243.2(4324 \ldots .$.$) implies M1$ |


|  | B1 <br> M1 <br> A1 <br> B2 | Incorrect unit of money is penalised - 1 once only on the first occurrence, by withholding an A or B mark <br> FT 'their 21640-21345' for M1 and possible A1 <br> FT 'their number of units' including use of 21640 or 21345 or $21640+21345$ for M1 but A0 <br> Treat ' $\times 0.72$ ' as incorrect units, allow M1 but A0 <br> FT 'their cost of gas excluding VAT', accepting rounding or truncation to a penny <br> B1 for one of the following: <br> - (Cost of gas including VAT) $21() 24 \times$. <br> - (VAT) 106(.2p) or (£)1.06(2) |
| :---: | :---: | :---: |
| $\text { 5(b) } 13.2 \times 7+12.2+12.4$ $(=117)$ $\div 9$ $13\left({ }^{\circ} \mathrm{C}\right)$ | M2 | M1 for sight of one of the following: <br> - $13.2 \times 7$ or equivalent <br> - 92.4 <br> - a sum shown with a given total of 92 to 93 inclusive for 7 possible temperatures <br> FT from M2 or from $12.2+12.4+$ 'their sum with a total of 92 to 93 inclusive for 7 possible temperatures <br> CAO from $117 \div 9$ <br> Answer space takes precedence |
| $\text { 5(c) } \begin{aligned} & \\ & a=98\left({ }^{\circ}\right) \\ & b=63\left({ }^{\circ}\right) \\ & c=117\left({ }^{\circ}\right) \end{aligned}$ | $\begin{aligned} & \text { B1 } \\ & \text { B1 } \\ & \text { B1 } \end{aligned}$ | Answer space takes precedence <br> FT 180 - 'their b' provided 'their b' $\neq 90^{\circ}$ or $\neq 180^{\circ}$ |


| 6(a) Reasonable explanation, e.g. <br> 'no one spent longer than 80 minutes training' <br> '1 hour 25 minutes is more than 80 minutes' | E1 | Allow, e.g. <br> 'graph only goes up to 80 (minutes)' <br> 'only shows to 1 hour 20 minutes' |
| :--- | :--- | :--- |
| 'doesn't show above 80 minutes' |  |  |, | 'the graph doesn't extend that much' |
| :--- |
| 'the bar doesn't go up to 1 hour 25 minutes' |
| 'the bar doesn't go up to 85 minutes' |
| 'no one spent 1 hour 25 minutes in the gym' |
| 'the maximum he could have spent was 1 hour 20 |
| minutes' |


| 7. (Time difference) 5 hours <br> 17:40 + 9 hours 15 minutes +5 hours | $\begin{aligned} & \text { B1 } \\ & \text { M1 } \end{aligned}$ | Seen or implied <br> FT adding 'their 5 hours', provided 'their 5 hours' $\neq 0$ or negative May be seen in stages |  |
| :---: | :---: | :---: | :---: |
|  |  |  |  |
| Tuesday 07(:)55 or Tuesday (0)7(:)55 a.m. | A2 | Answer space takes precedence unless unambiguously time in the morning from working A1 for the correct time, 07 (:) 55 or (0)7(:)55 a.m. or 'Tuesday 7 (:) 55 ’ or ‘Tuesday (0)7(:)55 p.m.' <br> Special cases and/or implied 5 hours: provided not from incorrect working |  |
|  |  | Monday 21:55 (p.m.) | B1 SC1 |
|  |  | Monday (0)9(:)55 p.m. | B1 SC1 |
|  |  | Monday (0)9()55 | B1 |
|  |  | If no marks: |  |
|  |  | Tuesday (0)2(:)55 | SC1 |
|  |  | Tuesday (0)2(:)55 a.m. | SC1 |
|  |  | No marks for Monday (0) 2(:)55 p.m. | (:) 55 a.m. or Tuesday |

